



BARBARA ANNICCHIARICO

ALESSANDRA PELLONI

WORKING PAPER

**PRODUCTIVITY GROWTH AND VOLATILITY:
HOW IMPORTANT ARE WAGE AND PRICE RIGIDITIES?**



Productivity growth and volatility: how important are wage and price rigidities?

Barbara Annicchiarico* Alessandra Pelloni†

Abstract

We study the implications of having different sources of nominal rigidities on the relationship between productivity growth and shocks volatility in a model with pro-cyclical R&D and imperfect competition in goods and labour markets. We show that the effects of uncertainty on long-term growth not only depends on the source of fluctuations, as recent literature shows, but also, and crucially, on whether prices and/or wages are rigid.

JEL codes: E32, E52, O42.

* *Corresponding author:* Facoltà di Economia, Università degli Studi di Roma “Tor Vergata”, Via Columbia 2, 00133, Roma, Italy. E-mail address: Barbara.Annicchiarico@uniroma2.it.

† Facoltà di Economia, Università degli Studi di Roma “Tor Vergata”. E-mail address: Alessandra.Pelloni@uniroma2.it.

1 Introduction

Traditionally macroeconomists considered growth and business cycles as two different fields of research. It wasn't until the Eighties, with the advent of the Real Business Cycles Theory, that scholars started questioning this view on the grounds that fluctuations are persistent and output does not show a strong tendency to return to its long-run trend after a shock. An explanation for this evidence is provided by endogenous growth models, where any temporary disturbance may affect growth-enhancing activities (i.e. savings, investments, R&D activities) thus producing everlasting effects on the level of output. The goal of this paper is to study how different sources of nominal rigidities affect the relationship between short-run fluctuations and productivity growth.

In the presence of market failures business cycles are likely to involve inefficient fluctuations in the allocation of resources, in the sense that the surplus lost from a low level of economic activity during recessions is larger than the gain from a symmetric deviation (see Galí *et al.*, 2007). In a standard New Keynesian model the key distortion producing this effect is market power in the goods and labour markets, which introduces a wedge between the marginal product of labour and the household's marginal rate of substitution between consumption and leisure. As Galí *et al.* (2007) note, this inefficiency wedge can be decomposed into the product of a price markup (the ratio of the marginal product of labor to the real wage) and a wage markup (the ratio of the real wage to the household's marginal rate of substitution): both these markups will induce a level of employment below its natural rate. In this paper, first, we show analytically how uncertainty will push up both of these markups on average, if there are price and wage rigidities.¹ Second, we show how the inefficiency caused by fluctuations, through their effects on markups, will compound over time. This happens in our model because R&D activity is positively influenced by the level of employment and aggregate demand which translates into a larger market size for innovations, with permanent effects.²

Three sets of basic stylized facts are relevant for this paper: the first one is the existence of nominal rigidities, both in the goods and in the labour markets, the second is the strong procyclicality of both total factor productivity and R&D and the third refers to the evidence of a relationship between business cycle fluctuations and growth.

Recent direct evidence on price/wage rigidities for developed countries is provided by Dhyne *et al.* (2006), Dickens *et al.* (2007) among others. In general, a marked heterogeneity in the frequency of price adjustment is found across sectors. Further, prices seem to change less frequently in Europe than in the United States. With reference to wage rigidities, data show that the wages of most workers typically change only annually and depend on a complex set of institutional factors.

Coming to the second set of facts, there is strong empirical evidence in favour of the procyclicality of R&D expenses (see e.g. Barlevy, 2007, Comin and Gertler, 2006, Walde

¹While New Keynesian contributions are generally made in calibrated models, here we take a complementary line and consider a model with an explicit solution so as to make more transparent the mechanisms at work.

²In the Appendix we show that there will be long-run effects of volatility on TFP, even if the assumption on the presence of constant returns to the current level of technology in the innovation activity is dropped, so that sustained growth disappears. We show that in this case uncertainty has level rather than growth effects, but that the mechanisms at work are the same.

and Woitek, 2004). The positive comovement between R&D activity and output is a puzzle for theorists, since innovating has a cost in terms of current production, which is likely to be lower during recessions.³ A possible explanation for the puzzle is that credit constraints are pervasive and, as a result, R&D has to be financed by current profits (see e.g. Aghion and Saint-Paul, 1998, Aghion and Banerjee, 2005, Aghion *et al.*, 2010). The different – but by no means alternative – explanation for the puzzle we incorporate in our model is closer to Fatàs (2000), who shows that exogenous cyclical shocks may have persistent effects on growth through the impact they have on aggregate demand. The mechanism we focus on is the following: R&D activity is stronger during expansions, even if its opportunity cost is higher, because its rewards are higher too, since the innovation creates monopoly power, which however lasts only one period, and will therefore be exploited on a bigger scale when aggregate demand is higher.

With respect to the relationship between business cycle fluctuations and growth, Barlevy (2004) and Comin and Gertler (2006) observe that, over the postwar period, many industrialized countries have experienced significant oscillations between periods of robust growth versus relative stagnation, and suggest that these medium-frequency oscillations may, to a significant degree, be the product of business cycle disturbances at the high frequency. Fatàs (2000) shows that empirical evidence from a large sample of countries suggests that there is indeed a correlation between how persistent fluctuations are and the long-term growth rates of GDP.

Also relevant for our analysis is the empirical evidence on the relationship between uncertainty and growth. Since the seminal paper by Ramey and Ramey (1995), cross-country studies have found that output growth uncertainty has a significant negative relationship with long-run (trend) growth (see Bredin and Fountas, 2009, Hnatkovska and Loayza, 2005, Martin and Rogers, 2000, Badinger, 2010 among many others). However, other empirical analyses, such as Fountas *et al.* (2006), Grier *et al.* (2004), Andreou *et al.* (2013) and Chatterjee and Shukayev (2006), suggest that more risky output growth is positively correlated with average output growth, while Grier and Perry (2000) find no evidence. On the other hand, there seems to be greater consensus in the empirical literature about the negative relationship between inflation and money supply uncertainty and output growth.⁴

Our paper contributes to an expanding theoretical literature that studies the relationship between the business cycle and growth.⁵ A first theory due to Black (1987) points to a positive relationship between uncertainty and growth: when agents may choose from a menu of high-variance, high-expected-returns technologies and low-variance, low-expected-returns technologies, communities with high risk tolerance get high expected returns which imply higher growth at the cost of greater business cycle fluctuations. On the other hand, a high

³The so called Schumpeterian approach has particularly stressed that to the extent that the opportunity cost of R&D is lower during recessions, these may have a positive impact on growth.

⁴Inflation uncertainty is found to be negatively correlated with output growth by Elder (2004), Fountas *et al.* (2006), Grier and Perry (2000), Grier *et al.* (2004) and Judson and Orphanides (1999). Monetary volatility is shown to have negative impact on growth in Andreou *et al.* (2013) and Turnovsky and Chattopadhyay (2003).

⁵Studies in this literature include Acemoglu and Zilibotti (1997), Francois and Lloyd-Ellis (2003), Jones *et al.* (2005), Blackburn (1999), Pelloni (1997), de Heck (1999), Canton (2002), Martin and Rogers (1997), Blackburn and Galindez (2003), Blackburn and Varvarigos (2008), Evans and Kenc (2003), Dotsey and Sarte (2000), Varvarigos (2008), Annicchiarico *et al.* (2011a, 2011b).

degree of risk aversion will induce more saving and thus more growth in the presence of uncertainty, when there is just one technology available (see Jones *et al.* 2005). In models where technological change is the result of deliberate (internal) learning or R&D activity, through actions which substitute production activities, increased uncertainty is likely to enhance the long-run growth prospects of the economy (i.e. Aghion and Saint-Paul, 1998; Blackburn, 1999); on the other hand, when technological change is due to serendipitous (external) learning, then higher business cycle volatility is likely to worsen the growth potential (i.e. Martin and Rogers, 1997, 2000). A further ingredient for the generation of a negative relationship between uncertainty and growth are nominal rigidities. In particular, in models with technology *à la* Romer (1986) and one-period preset wages, Blackburn and Pelloni (2004, 2005) show the existence of an unambiguous negative relationship between nominal volatility and growth, while the relationship between real volatility and growth crucially depends on the source of fluctuations and on labour market organization.

A common limit of the papers with nominal rigidities is that no R&D activity is introduced. This activity is explicitly modelled here. Moreover we study the role of both wage and price rigidities on the relationship between long-term productivity growth and uncertainty due to different sources of stochastic fluctuations (i.e. technology and money supply). We solve the model under the assumption that both wages and prices are set prior to the realizations of the shocks on the basis of one-period-optimal contracts. This is done in the context of a simple stochastic OLG endogenous growth model with imperfect competition in goods and labour markets, where money is the only store value and functions as a medium of exchange.

We find that, in general, the relationship between volatility and productivity growth is negative or null when technological uncertainty predominates, depending on whether prices are predetermined or not. When monetary volatility is concerned instead, we find that under nominal rigidities uncertainty tends to always have a negative effect on long-run productivity growth, but that the strength of this channel crucially depends on the source of nominal rigidities. In the model inflation volatility positively depends on both technological and money volatility, so the model is able to match the empirical evidence on the relationship between growth and inflation volatility, which is mainly found to be negative.

The paper is organized as follows. Section two describes the setup of an OLG stochastic monetary growth model with market power. In Section three we study a benchmark case where prices and wages are set when all shocks have already materialized. In Section four we derive the relationship between long-term productivity growth and volatility under the assumption of different sources of nominal rigidities: (i) preset wages, (ii) preset prices, (iii) preset prices and wages. Finally, some concluding comments are offered in Section five.

2 A simple endogenous growth model with procyclical R&D and market power

There is a continuum of firms indexed by $j \in [0, 1]$ operating in a monopolistically competitive market. Productivity is endogenously determined and depends on the R&D activity of firms. The demand side is described by a two-period overlapping generations monetary model. The labour market is characterized by the presence of a monopolistic union setting

nominal wages, whereby firms determine the level of employment. Time is discrete and indexed by $t \in \{0, 1, \dots, \infty\}$.

2.1 Firms

Each firm produces a differentiated good $Y_t(j)$ by combining $L_{Y,t}(j)$ units of labour according to the following technology:

$$Y_t(j) = A_t(j)L_{Y,t}(j)^\alpha, \quad \alpha \in (0, 1), \quad (1)$$

where $A_t(j)$ is firm's j total factor productivity (TFP) given by the stock of knowledge at its disposal. By doing R&D firms can increase their TFP in the current period:

$$A_t(j) = \Omega_t A_{t-1} L_{RD,t}^\phi(j), \quad (2)$$

with

$$\Omega_t = \Omega \exp\left(\varepsilon_{\Omega,t} - \frac{\sigma_\Omega^2}{2}\right), \quad \varepsilon_{\Omega,t} \sim iid.N(0, \sigma_\Omega^2), \quad (3)$$

$$\Omega > 1, \quad \phi \in (0, 1), \quad \alpha + \phi < 1,$$

where $L_{RD,t}(j)$ is the quantity of labour inputs devoted to the R&D activity, A_{t-1} is publicly available (that is the productivity of individual firm's R&D activity increases with the stock of technology). According to equation (2) at the beginning of period t , starting from a common level of productivity A_{t-1} , each firm can raise its productivity by devoting labour inputs to R&D activity. Putting it in another way, equation (2) captures the so called "standing on shoulders" effect of knowledge accumulation, indicating that the productivity of researchers increases with the stock of ideas that have already been discovered. We also assume that the monopoly power of the firm over the results of its innovative activity only lasts one period. This simplification, also adopted by Strulik *et al.* (2011) avoids intertemporal (dynastic) problems of patent holding, but keeps the basic incentive to create new knowledge intact. The specification of the exogenous variable Ω_t implies that $E(\Omega_t) = \Omega$ and therefore enables us to capture the pure effect of volatility.⁶

A more general formulation than (2) for the productivity process would be: $A_t(j) = \Omega_t A_{t-1} \left[L_{RD,t}^\phi(j) + 1 - \delta_A \right]$, where δ_A can be interpreted as the obsolescence rate of technical knowledge and $1 - \delta_A$ as the survival probability of technologies.⁷ With $\delta_A = 1$ we get our specification. The assumption of 100% depreciation of accumulable factors, used to build an analytically solvable stochastic model, is rather common in works on growth and volatility. It can be found as regards the accumulation of technology in Blackburn and Galindez (2003) and as regards the accumulation of human capital in Jones *et al.* (2005) and in Varvarigos (2008).⁸

⁶An increase in σ_Ω^2 , in fact, implies an increase in the variance of Ω_t , which is found to be $\Omega^2 [\exp(\sigma_\Omega^2) - 1]$, leaving its mean unchanged, since $E \left[\exp\left(\varepsilon_{\Omega,t} - \frac{\sigma_\Omega^2}{2}\right) \right] = 1$.

⁷Comin and Gertler (2006) posit a annual rate of obsolescence of 0.03.

⁸In fact with this formulation technical regress is possible in principle, even if its probability will be low if the coefficient of variation of the shocks is low. This possibility is also an implication of the representation

Equation (2) also assumes constant returns to the level of technology in the innovation activity. This assumption generates long-run growth in the model. An implication of this assumption is, however, that larger economies would grow at a faster rate and that an increasing population would trigger explosive growth. In Jones (2005) parlance the model exhibits ‘strong’ scale effects. In the Appendix we extend our analysis to the case in which the assumption is dropped, so that the model only delivers level (‘weak’) rather than growth scale effects.

Finally, parameter ϕ in (2) is less than one in order to capture the possibility of decreasing returns to labour in R&D.⁹

Firm j faces a demand function of the form:

$$Y_t(j) = \left(\frac{P_t(j)}{P_t} \right)^{-\theta} Y_t, \quad (4)$$

where P_t is the aggregate price level, Y_t aggregate production, $P_t(j)$ the price of good j and $\theta > 1$ the elasticity of substitution between any pair of goods. Firm’s j will set $L_{Y,t}(j)$ and $L_{RD,t}(j)$ so as to equate their marginal product. Moreover firms are assumed to be symmetric so we can drop the index j . At an optimum, writing $L_t = L_{RD,t} + L_{Y,t}$, we have:

$$L_{RD,t} = \frac{\phi}{\alpha} L_{Y,t}, \quad (5)$$

$$Y_t = \Psi \Omega_t A_{t-1} L_t^{\alpha+\phi}, \quad (6)$$

where $\Psi \equiv [\phi/(\alpha + \phi)]^\phi [\alpha/(\alpha + \phi)]^\alpha$ and

$$L_{RD,t} = \phi L_t / (\alpha + \phi). \quad (7)$$

The condition for the optimal price is contingent on the timing of its fixing, so we will consider it later.

2.2 Households

The typical household born at time t supplies labour N_t , consumes C_t in period t and C'_{t+1} in period $t + 1$. The expected value of lifetime utility is

$$U_t = E_t \left(\log C_t + \frac{1}{\gamma} \log C'_{t+1} - \eta \frac{1}{v} N_t^v \right), \quad \gamma > 1, v > 1, \eta > 0, \quad (8)$$

where C_t is a consumption index given by $C_t \equiv \left[\int_0^1 C_t(j)^{\frac{\theta-1}{\theta}} dj \right]^{\frac{\theta}{\theta-1}}$ with $C_t(j)$ being the quantity consumed of good j , $1/\gamma$ is the discount factor and η weights the disutility of

of the (exogenous) evolution of technology in many DSGE models. In these models, in fact, the technology shifter in the aggregate production function is often represented as an exogenous autoregressive process with drift. Such a process can in principle deliver technology regress when the disturbance term is negative enough.

⁹In reality, there could also be an externality due to the duplication of research activity taking place in other firms. This so called “stepping on toes” effect could induce an even stronger curvature of the aggregate knowledge production function with respect to labour.

working. To simplify the algebra and without loss of generality, we set the coefficient in the disutility of labour such that $\eta \equiv (1 + \gamma) / \gamma$. With reference to labour inputs, the above formulation has three main implications: (i) preferences are consistent with balanced growth, in the sense that on balanced growth path doubling a household's income doubles its consumption, but does not affect its labour inputs choice; (ii) the marginal utility of consumption is independent of the worker's leisure; (iii) the Frisch elasticity of labour supply is constant and equal to $1/(v - 1)$.

At the optimum the demand for each good $j \in [0, 1]$ is $C_t(j) = (P_t(j) / P_t)^{-\theta} C_t$, where $P_t = \left[\int_0^1 P_t(j)^{1-\theta} dj \right]^{\frac{1}{1-\theta}}$. It follows that $\int_0^1 P_t(j) C_t(j) = P_t C_t$. Households save in the form of money (at time t , denoted by M_t) which is the unique asset of the economy. Their budget constraints in the two periods are given by:

$$P_t C_t + M_t = W_t N_t + \Pi_t, \quad (9)$$

$$P_{t+1} C'_{t+1} = \mu_{t+1} M_t, \quad (10)$$

$$\mu_t = \mu \exp \left(\varepsilon_{\mu,t} - \frac{\sigma_\mu^2}{2} \right), \quad \mu > 1, \quad \varepsilon_{\mu,t} \sim iid.N(0, \sigma_\mu^2), \quad (11)$$

where Π_t denotes firms' nominal profits, μ_t is a stochastic multiplicative monetary shock and $\varepsilon_{\mu,t}$ is a monetary innovation.¹⁰

The representative household will choose C_t and C'_{t+1} to maximize (8) subject to the budget constraints (9) and (10). By using the fact that in general equilibrium all markets must clear, so that $C_t + C'_t = Y_t$ and $M_t = H_t$, with H_t being money supply which evolves as $H_t = \mu_t H_{t-1}$, we have that (10) can be rewritten as $P_t C'_t = M_t$, so that money is entirely held by the old who spend all of it. The consumption function of the young is then found to be

$$C_t = \frac{\gamma}{1 + \gamma} Y_t, \quad (12)$$

and the condition for the money market equilibrium is

$$\frac{M_t}{P_t} = \frac{Y_t}{1 + \gamma}. \quad (13)$$

3 Volatility and growth with flexible prices and wages

In this Section we present the remaining equilibrium conditions and model solution under the assumption that both wages and prices are flexible. By 'flexibility' we mean that the current realizations of the shocks are observed when prices and wages are set.

Firm's j will set $P_t(j)$ to maximise current profits $\Pi_t(j) = P_t(j) Y_t(j) - W_t [L_{Y,t}(j) + L_{RD,t}(j)]$ given the wage W_t , the demand for its own good (4) and the technology equations (1) and (2). We have already seen that (5) and (6) will hold. A further optimizing condition dictates that the optimal price will correspond to a markup over the marginal cost

$$P_t = \Theta \frac{W_t L_t}{(\alpha + \phi) Y_t}, \quad (14)$$

¹⁰For simplicity we assume that households start off with no money. This assumption is not crucial for our results and is consistent with the role of money as a reserve value and a medium of exchange.

again omitting the j index to save on notation and with $\Theta \equiv \theta/(\theta - 1)$. Clearly, when prices are set after the realizations of the shocks the price markup, which we label \mathcal{MU}^P for future reference, is always constant and equal to Θ . Finally, using (6) and (14) we can express labour demand as

$$L_t = \left(\frac{\Theta}{\alpha + \phi} \frac{W_t}{\Psi \Omega_t P_t A_{t-1}} \right)^{-\frac{1}{1-(\alpha+\phi)}}. \quad (15)$$

Coming to the labour market functioning, we adopt a “right to manage” assumption: a monopolistic trade union sets the nominal wage in order to maximise households’ expected utility (8), given labour demand (15). As hinted above, we distinguish between the case in which this is done after the current shock is revealed (the “flexible wages” case), and the case in which this is done before (“preset wages” case), presented in the next section. Given (15), at the optimum we have:

$$\frac{W_t}{P_t} = \frac{1}{\alpha + \phi} \frac{(1 + \gamma) L_t^{v-1} C_t}{\gamma}, \quad (16)$$

where we have used the fact that in equilibrium $L_t = N_t$.

Notice that market power in the labour market introduces a wedge between the real wage rate, W_t/P_t , and the marginal rate of substitution between leisure and consumption, $[(1 + \gamma)/\gamma] L_t^{v-1} C_t$. Henceforth, we will refer to this wedge as the wage markup labeled as \mathcal{MU}^W . This is constant and equal to $(\alpha + \phi)^{-1}$ when wages are set after all shocks have materialized.

By combining (16) with (15) and using (12), the equilibrium level of employment is then found to be:

$$L_t = \bar{L} \equiv \left[\frac{(\alpha + \phi)^2}{\Theta} \right]^{1/v}. \quad (17)$$

From (17) the equilibrium level of employment is increasing in the elasticity of production with respect to labour $\alpha + \phi$ and in the elasticity of substitution between intermediates θ , i.e. decreasing in the market power of producers. Finally, employment is higher the lower is the Frisch elasticity of labour supply $1/(v - 1)$. Notice that neither nominal nor technological shocks have an effect. For the former this is not surprising as with price and wage flexibility money is a veil. For technological shocks, this depends on preferences: an increase in the real wage brought about for instance by a positive technology shock through an increase in labor demand has offsetting income and substitution effects, so that labour supplied does not change. So a technology shock will have a positive effect on income and the real wage and a negative effect on prices, with no effect on employment. By combining (14), (13) and (16), while considering (17), we note that the nominal wage will stay put in the face of a technological shock, a fact which will be exploited for interpreting the reaction of the economy to a technological shock when wages are preset.

Let $g_A \equiv \Omega [\phi \bar{L}/(\alpha + \phi)]^\phi$ denote the deterministic growth rate of productivity,¹¹ i.e. the growth rate prevailing in the absence of shocks. Due to the fact that productivity growth

¹¹It can be easily shown that by removing producers and unions market power from the economy, the deterministic growth rate of productivity will be $g_A \equiv \Omega [\phi/(\alpha + \phi)]^\phi (\alpha + \phi)^{\phi/v}$, being $L_t = (\alpha + \phi)^{1/v}$ the equilibrium level of employment which differs from (17) by two constant factors of proportionality: $(\alpha + \phi)^{1/v}$ and $(1/\Theta)^{1/v}$, the first one reflecting the effect of monopolistic wage setting and the second one

is a linear function of the technological shocks and is not affected by money shocks, we can immediately infer the following:

Proposition 1 *In the absence of nominal rigidities the equilibrium growth rate of productivity between two consecutive periods and its average are given by:*

$$\frac{A_t}{A_{t-1}} = \Omega_t \left(\frac{\phi}{\alpha + \phi} \bar{L} \right)^\phi, \quad (18)$$

$$E \left(\frac{A_t}{A_{t-1}} \right) = g_A \equiv \Omega [\phi \bar{L} / (\alpha + \phi)]^\phi, \quad (19)$$

implying that long-run growth is not affected by shocks volatility.

Proof. Using $L_{RD,t} = \phi L_t / (\alpha + \phi)$ in $A_t = \Omega_t A_{t-1} L_{RD,t}^\phi$, given (17), delivers the result (18). Taking expectations, given (3), yields (19). ■

Summing up, without nominal rigidities, long-run growth is not affected by uncertainty. Producers and unions, in fact, set prices and wages after the shocks have materialized, being so able to keep price and wage markups at the desired optimal levels, i.e. Θ and $(\alpha + \phi)^{-1}$, as implied by equations (14) and (16).

Our model also has predictions on the distribution of inflation, as reported in the Appendix. In particular we show that, in all the different cases we consider as regards price and wage flexibility, the variance of inflation is increasing in real and nominal volatility. This finding is of particular interest since, as shown below, under different assumptions about wage and price settings, the model is able to predict a negative correlation between inflation uncertainty and long-run growth, although the model does not demonstrate that inflation uncertainty itself is harmful to productivity growth. Moreover, again in all cases considered, the model predicts a positive relationship between the average and the variance of inflation, whose size, however, changes with the source of volatility and the nature of the nominal rigidities.¹²

4 Volatility and growth with nominal rigidities

In this Section we study, in turn, the case of preset wages, preset prices and preset prices and wages.

4.1 Preset wages

Consider the case in which in each period monopolistic unions set the nominal wage prior to the realizations of the shocks, so as to maximise the expected utility function of those

the inefficiency of the monopolistic competition in the final goods market. The presence of market power leads, in fact, to underemployment and low growth.

¹²In the Appendix it is also shown how technology and money uncertainty impacts average inflation under the four different assumptions about price and wage setting. In particular, when wages are preset the sign of the relationship between money uncertainty and average inflation depends on the parametrization.

working in the period (i.e. the young) given firms labour demand (15). The optimal nominal wage set at the beginning of period t is such that

$$W_t = \frac{1}{\alpha + \phi} \frac{(1 + \gamma) E_{t-1} L_t^v}{\gamma E_{t-1} \left(\frac{L_t}{P_t C_t} \right)}. \quad (20)$$

In equilibrium the nominal wage, employment and its mean are then seen to be (see the Appendix for the full derivation):

$$W_t = \frac{(1 + \gamma)(\alpha + \phi)}{\Theta} \bar{L}^{-1} M_{t-1} \mu \left[\exp(v - 1) \frac{\sigma_\mu^2}{2} \right], \quad (21)$$

$$L_t = \bar{L} \frac{\mu_t}{\mu} \exp \left[- (v - 1) \frac{\sigma_\mu^2}{2} \right], \quad (22)$$

so that:

$$E(L_t) = \bar{L} \exp \left[- (v - 1) \frac{\sigma_\mu^2}{2} \right]. \quad (23)$$

This yields:

Lemma 1 *When wages are preset on the basis of one-period contract before the realizations of the shocks, the nominal wage is increasing in money volatility while equilibrium employment (and its average) is decreasing in it.*

Proof. From inspection of (21) and (22), recalling that $v > 1$. ■

Not surprisingly from what we know from the analysis of the case of wage flexibility, technology shocks have no effect on labour. We have seen, in fact, that a technology shock would not imply any change in the nominal wage, even if the wage were free to move. So basically nothing changes with respect to the previous case as regards technological uncertainty.¹³ As a contrast, the nominal wage is increasing in money volatility, and, through labour demand, employment (and its expected value) are correspondingly decreasing in it. To understand these effects intuitively consider that, while under certainty the marginal rate of substitution between consumption and leisure is always equal to the real wage (bar the constant monopoly wedge), under uncertainty people will have to work more (i.e. at a higher marginal rate of substitution) when the real wage is lower and less when the real wage is higher. The way to reduce these deviations from the (private optimum) is to make them happen around a lower average level of employment (so the increases and decreases in the marginal disutility of labor will be smaller) and therefore set a higher nominal wage. In fact, it can be easily shown that on average the wage markup will be higher, the higher the level of monetary uncertainty (see the Appendix for details):

$$E(\mathcal{M}\mathcal{U}_t^W) = \frac{1}{\alpha + \phi} \exp(v^2 \sigma_\mu^2). \quad (24)$$

The presence of the wage friction is then a source of economic inefficiency made worse by volatility. The size of the effect depends on the preference parameter v . The higher is v , in fact, the lower is the Frisch elasticity of labour supply. In the limiting case where $v = 1$,

¹³This result is consistent with the findings of Blackburn and Pelloni (2005).

a mean preserving spread increase in money uncertainty will leave expected employment unchanged. Conversely, higher α and ϕ will reduce the positive effect of money volatility on the expected markup. This is because the marginal productivity of labour and, therefore, the real wage will be less influenced by changes in employment, the higher these parameters are. From the above results we have the following proposition:

Proposition 2 *When wages are preset on the basis of one-period contract before the realizations of the shocks, the equilibrium growth rate of productivity and its average are given by:*

$$\frac{A_t}{A_{t-1}} = \Omega_t \left(\frac{\phi}{\alpha + \phi} \bar{L} \right)^\phi \left(\frac{\mu_t}{\mu} \right)^\phi \exp \left[-\phi (v - 1) \frac{\sigma_\mu^2}{2} \right], \quad (25)$$

$$E \left(\frac{A_t}{A_{t-1}} \right) = g_A \exp \left[-\phi (v - \phi) \frac{\sigma_\mu^2}{2} \right], \quad (26)$$

Proof. Using $L_{RD,t} = \phi L_t / (\phi + \alpha)$ and (22) into $A_t = \Omega_t A_{t-1} L_{RD,t}^\phi$ delivers the result (25). Taking expectations, given (11) and (3), delivers (26). ■

From (25) we notice that the equilibrium growth rate of productivity is a linear function of Ω_t , as in the previous case with flexible wages. On the other hand, an increase in money supply in period t has now a positive effect on growth, through the effect that a monetary surprise has on aggregate demand and so on employment (22) and TFP growth (since R&D activity is procyclical). In this context, the effect of money volatility on long-run growth is negative, while the effect of technology volatility is null. Since the rate of technology growth is linear in technology shocks, its expected value is not influenced by their volatility. The negative effect of money volatility is mediated by the effect on employment and, in particular, by the degree of disutility deriving from non-leisure activity, measured by the parameter v , on which the Frisch elasticity of labour supply depends inversely, and by the parameter ϕ . However, the effect of ϕ is two-fold: on the one hand a higher value of ϕ has a moderating influence on the wage markup and, therefore, limits the negative effect of money volatility on average employment and so on average productivity growth, which is an increasing function of labour. On the other hand, a higher value of ϕ implies a stronger contribution of labour to innovation and so a more detrimental effect of lower employment on productivity growth.

4.2 Preset prices

We now introduce nominal rigidities in the form of preset prices, while moving back to the assumption of flexible wages. Producers set prices for period t before observing the realizations of the shocks in order to maximise expected profits. At time $t - 1$ firm j will set the price $P_t(j)$ in order to maximise the expected profit, $E_{t-1} \Pi_t(j)$, subject to the technological constraints represented by (1), (2) and (4) and given the wage W_t . First notice that (5) and therefore (6) are still valid, as necessary conditions for optimality. Under symmetry of firms, the optimal pricing decision taken at time $t - 1$ is then:

$$P_t = \frac{\Theta E_{t-1} W_t L_t}{(\alpha + \phi) E_{t-1} Y_t}, \quad (27)$$

which now replaces (14), which holds only if prices are flexible. In equilibrium we then have (see the Appendix):

$$P_t = \frac{\bar{L}^{-(\alpha+\phi)} (1+\gamma) \mu M_{t-1}}{\Psi \Omega A_{t-1}} \exp \left[\frac{\alpha + \phi + v}{\alpha + \phi} \left(\frac{\sigma_\mu^2}{2} + \frac{\sigma_\Omega^2}{2} \right) \right], \quad (28)$$

$$L_t = \bar{L} \left(\frac{\Omega \mu_t}{\mu \Omega_t} \right)^{\frac{1}{\alpha+\phi}} \exp \left[-\frac{\alpha + \phi + v}{(\alpha + \phi)^2} \left(\frac{\sigma_\mu^2}{2} + \frac{\sigma_\Omega^2}{2} \right) \right], \quad (29)$$

and, taking expectations:

$$E(L_t) = \bar{L} \exp \left[-\frac{v-1}{(\alpha + \phi)^2} \left(\frac{\sigma_\mu^2}{2} + \frac{\sigma_\Omega^2}{2} \right) - \frac{1}{\alpha + \phi} \sigma_\mu^2 \right]. \quad (30)$$

This yields:

Lemma 2 *When prices are preset on the basis of one-period contracts before the realizations of the shocks, the price level are increasing in money and technological volatilities, while equilibrium employment (and its mean) are decreasing in them.*

Proof. From inspection of (28)-(30). ■

From (29) employment depends on both the realizations and the variances of the shocks. Since nominal wages are flexible, they will react to all changes in technology and money supply. Positive money shocks will translate into higher employment and positive technology shocks into lower employment. This is because an unexpected monetary expansion, with given prices, pushes demand up and so output and employment increase even more than with fixed nominal wages. On the other hand, a positive technological innovation increases total factor productivity in (2), but leads to an employment decline, because price rigidities prevent an increase in aggregate demand, given the quantity of money: the same production will then be obtained with less labor.

A higher level of volatility, whatever its source, is always harmful to employment. To understand why, let us consider the effect of volatility on price markups. While the wage markup will be constant and equal at $(\alpha + \phi)^{-1}$, price markups will now depend on the realizations of the shocks and on their variances. From the convexity of both the cost function of firms and of the labour disutility function of workers, higher uncertainty in production and employment implies higher expected marginal costs and so a higher price level. On average firms' price markup is found to be (see the Appendix):

$$E(\mathcal{MU}_t^P) = \Theta \exp \left[\left(\frac{v}{\alpha + \phi} \right)^2 \sigma_\Omega^2 + v \frac{v + \alpha + \phi}{(\alpha + \phi)^2} \sigma_\mu^2 \right], \quad (31)$$

which is clearly higher than its deterministic counterpart Θ .

The effect of volatility on the price markup is weaker the higher the elasticity of the aggregate production function with respect to labour $(\alpha + \phi)$ and the higher the elasticity of labor supply. It is worth noting that for $v = 1$ a mean preserving spread increase in nominal volatility will still have negative effect on employment contrary to the case of preset wages analyzed in the previous section. The effect of money volatility is stronger than the effect of technology volatility: this is because with money volatility firms will have

to produce more (less) just when the real wage is higher (lower), as nominal wages are free to move procyclically: this will increase the convexity of the firms' cost function in general equilibrium that is when taking into account the reaction of the wage. With technological volatility real wages move in the opposite direction to employment which flattens the cost curve with respect to the case of money volatility.

Given the above results we have:

Proposition 3 *When prices are preset on the basis of one-period contract before the realizations of the shocks, the equilibrium growth rate of productivity and its average are given by:*

$$\frac{A_t}{A_{t-1}} = \Omega_t \left(\frac{\phi}{\alpha + \phi} \bar{L} \right)^\phi \left(\frac{\Omega \mu_t}{\mu \Omega_t} \right)^{\frac{\phi}{\alpha + \phi}} \exp \left[-\phi \frac{\alpha + \phi + v}{(\alpha + \phi)^2} \left(\frac{\sigma_\mu^2}{2} + \frac{\sigma_\Omega^2}{2} \right) \right], \quad (32)$$

$$E \left(\frac{A_t}{A_{t-1}} \right) = g_A \exp \left[-\phi \frac{2\alpha + \phi + v}{(\alpha + \phi)^2} \left(\frac{\sigma_\mu^2}{2} + \frac{\sigma_\Omega^2}{2} \right) \right]. \quad (33)$$

Proof. Using $L_{RD,t} = \phi L_t / (\phi + \alpha)$ and (29) into $A_t = \Omega_t A_{t-1} L_{RD,t}^\phi$ gives us (32). Taking expectations given (3) and (11), gives us (33). ■

Recalling the results of Proposition 2, we notice that nominal volatility is more detrimental to productivity growth under preset prices than under preset wages, as $\phi(v - \phi) < \phi \frac{2\alpha + \phi + v}{(\alpha + \phi)^2}$. Moreover we have a negative effect of technology volatility, which was absent in the previous case. All these effects work through employment which is inefficiently low as a result of price rigidities.

4.3 Preset prices and wages

Finally, we solve the model of Section 2 under the assumption that both prices and wages are set on the basis of one-period contract before observing the shocks. In this case the optimal price and wage decided at time $t - 1$ are

$$P_t = W_t \frac{\Theta}{\alpha + \phi} \frac{E_{t-1} L_t}{E_{t-1} Y_t}, \quad (34)$$

and

$$W_t = \frac{P_t}{\alpha + \phi} \frac{(1 + \gamma) E_{t-1} L_t^v}{\gamma E_{t-1} \left(\frac{L_t}{C_t} \right)}. \quad (35)$$

The above equations now replace (14) and (16), implying that the real wage is now preset at time $t - 1$. In equilibrium prices, wages, employment and its mean are (see the Appendix for the full derivation):

$$P_t = \frac{\bar{L}^{-(\alpha + \phi)} (1 + \gamma) \mu M_{t-1}}{\Psi \Omega A_{t-1}} \exp \left[\frac{\alpha + \phi + v}{\alpha + \phi} \left(\frac{\sigma_\mu^2}{2} + \frac{\sigma_\Omega^2}{2} \right) - B \frac{\sigma_\mu^2}{2} \right], \quad (36)$$

$$W_t = \frac{\alpha + \phi}{\Theta} (1 + \gamma) \bar{L}^{-1} \mu M_{t-1} \exp \left[\frac{v - 1}{(\alpha + \phi)^2} \left(\frac{\sigma_\mu^2}{2} + \frac{\sigma_\Omega^2}{2} \right) + \frac{1 - \alpha - \phi}{v(\alpha + \phi)} \sigma_\mu^2 \right], \quad (37)$$

$$L_t = \bar{L} \left(\frac{\mu_t \Omega}{\mu \Omega_t} \right)^{\frac{1}{\alpha + \phi}} \exp \left[-\frac{\alpha + \phi + v}{(\alpha + \phi)^2} \left(\frac{\sigma_\mu^2}{2} + \frac{\sigma_\Omega^2}{2} \right) + \frac{B}{\alpha + \phi} \frac{\sigma_\mu^2}{2} \right], \quad (38)$$

$$E(L_t) = \bar{L} \exp \left[-\frac{v - 1}{(\alpha + \phi)^2} \left(\frac{\sigma_\mu^2}{2} + \frac{\sigma_\Omega^2}{2} \right) - \frac{1 - \alpha - \phi}{v(\alpha + \phi)} \sigma_\mu^2 \right], \quad (39)$$

where $B \equiv 2 \{1 - [1 - (\alpha + \phi)] / v\} > 0$.

The above expressions deliver the following result:

Lemma 3 *When both prices and wages are preset on the basis of one-period contract before the realizations of the shocks an increase in money and technological uncertainty has a positive effect on the equilibrium price and wage levels and a negative one on employment and its mean.*

Proof. From inspection of (36), (37) and (38) and by noting that $-[1 + v/(\alpha + \phi)] + B < 0$.

■

Notice the effect on nominal wages is stronger for nominal uncertainty than for real uncertainty. To gain intuition as to why we observe the above results consider the markups. We have:

$$E(\mathcal{M}U^P) = \Theta \exp \left[\frac{1}{(\alpha + \phi)^2} \sigma_\Omega^2 + \frac{1 - \alpha - \phi}{(\alpha + \phi)^2} \sigma_\mu^2 \right], \quad (40)$$

and

$$E(\mathcal{M}U^W) = \frac{1}{\alpha + \phi} \exp \left[\frac{v(v - 1)}{(\alpha + \phi)^2} \sigma_\Omega^2 + \frac{v(v + \alpha + \phi - 1)}{(\alpha + \phi)^2} \sigma_\mu^2 \right]. \quad (41)$$

Derivations are in the Appendix. It can be easily seen that, again, both price and wage markups are higher on average than without uncertainty. However the price markup is lower than when nominal wages are flexible, so to some extent, the two kinds of frictions offset each other. This is because with fixed nominal wages, the elasticity of labour supply is no longer relevant as regards the movements of the real wage over the business cycle. Higher volatility of employment implies higher expected marginal costs for firms and therefore a higher price level. However, the convexity of the cost function of firms is now reduced by the fact that nominal wages cannot move procyclically, so that firms' marginal costs tend to be more stable. Conversely, the wage markup is higher than when prices are flexible. First of all, since a technology shock does not influence the real wage but does push employment up or down, to minimize the deviations of the marginal rate of substitution from its (privately) optimal level, the average labour supply moves down in the face of increased technological uncertainty, an effect that was absent with predetermined wages and flexible prices. Moreover, the effect of money uncertainty on the wage markup is also higher than with flexible prices, (just by comparing (24) and (41) and noticing that $\frac{v(v + \alpha + \phi - 1)}{(\alpha + \phi)^2} > v^2$). In fact, with preset prices an increase in aggregate demand will not be (partially) absorbed by inflation, so employment will fluctuate more. Unions will then find it optimal to set a higher nominal wage, so that the gap between the marginal rate of substitution between consumption and leisure and the real wage is smaller.

From the above analysis, this result immediately follows:

Proposition 4 *When both prices and wages are preset on the basis of one-period contract before the realizations of the shocks, the equilibrium growth rate of productivity and its average are given by:*

$$\frac{A_t}{A_{t-1}} = \Omega_t \left(\frac{\phi}{\alpha + \phi} \bar{L} \right)^\phi \left(\frac{\mu_t \Omega}{\mu \Omega_t} \right)^{\frac{\phi}{\alpha + \phi}} \exp \left[-\phi \frac{\alpha + \phi + v}{(\alpha + \phi)^2} \left(\frac{\sigma_\mu^2}{2} + \frac{\sigma_\Omega^2}{2} \right) + \phi \frac{B}{\alpha + \phi} \frac{\sigma_\mu^2}{2} \right], \quad (42)$$

and

$$E \left(\frac{A_t}{A_{t-1}} \right) = g_A \exp \left[-\phi \frac{2\alpha + \phi + v}{(\alpha + \phi)^2} \left(\frac{\sigma_\mu^2}{2} + \frac{\sigma_\Omega^2}{2} \right) + \phi \frac{B}{\alpha + \phi} \frac{\sigma_\mu^2}{2} \right]. \quad (43)$$

Proof. Using $L_{RD,t} = \phi L_t / (\phi + \alpha)$ and (38) into $A_t = \Omega_t A_{t-1} L_{RD,t}^\phi$ delivers (42). the first result. Then take expectations, given (3) and (11) and note that $-\frac{2\alpha + \phi + v}{\alpha + \phi} + B < 0$. ■

From (43) it should be noted that the coefficient on real volatility is as in (33), since it is only through price stickiness that technology uncertainty reflects on employment and hence on growth. As regards money volatility, we note that the the effect of nominal uncertainty is lower than when only prices are sticky by virtue of the more muted response of real marginal costs to money shocks.

5 Conclusions

In this paper we construct an analytically solvable monetary model with endogenous growth driven by R&D to study the effect of wage and price rigidities on the relationship between long-term productivity growth and short-term volatility. We find that both nominal and real uncertainty may be harmful to secular growth, in the presence of nominal rigidities.

In the model, R&D is more profitable the higher the level of economic activity. This explains its observed procyclicality. On its turn, the level of economic activity is reduced by market power by firms and workers, as this inserts a wedge between the marginal product of labour and the marginal rate of substitution between leisure and consumption. We show that price and wage rigidities induce fluctuations in this wedge making it higher on average than its deterministic counterpart. We analyse how price and nominal wage distortions interact with each other in propagating real and nominal shocks. In particular, we show that the effects on growth depend critically on the source of uncertainty and on the type of nominal rigidities. From this point of view, we argue that the frequency of price and wage changes across countries may influence the way in which uncertainty impacts productivity growth.

The main contribution of this paper lies in highlighting the importance of nominal rigidities as a possible conditioning factor for the effects of uncertainty on growth. At the same time we recognize that many important channels studied in the literature on growth and volatility are absent from our model, which was kept deliberately simple. However, as there is no reason for presupposing that growth should occur on the basis of one mechanism alone, we plan in further research to embody the effect that uncertainty may have on pricing decisions, which is the exclusive focus of this paper, in a more general model, which might be able to match the empirical evidence along more dimensions than the one presented here.

Supplementary material

Supplementary material (the Appendix) is available online at the OUP website

Acknowledgements

We would like to thank three anonymous referees, Vincenzo Cuciniello, Holger Strulik, participants at the 2012 Royal Economic Society Annual Conference - University of Cambridge and at the sixth conference on Growth and Business Cycle in Theory and Practice - University of Manchester, and seminar participants at the University of Rome “La Sapienza”, for very helpful comments and suggestions on earlier versions of this paper. The usual disclaimer applies.

References

- [1] **Acemoglu, D. and Zilibotti, F.** (1997) Was Prometheus unbound by chance? Risk, diversification, and growth, *Journal of Political Economy*, **105**, 709-51.
- [2] **Aghion, P., Angeletos, G.M., Banerjee, A. and Manova, K.** (2010) Volatility and growth. Credit constraints and the composition of investment, *Journal of Monetary Economics*, **57**, 246-265.
- [3] **Aghion, P. and Banerjee, A.** (2005) *Volatility and growth*, Oxford University Press, Oxford.
- [4] **Aghion, P. and Saint-Paul, G.** (1998) Virtues of bad times - Interaction between productivity growth and economic fluctuations, *Macroeconomic Dynamics*, **2**, 322-344.
- [5] **Andreou, E., Pelloni, A. and Sensier, M.** (2013) Is volatility good for growth? Evidence from the G7, CEIS Research Paper no. 258, Rome.
- [6] **Annicchiarico, B., Corrado, L. and Pelloni, A.** (2011a) Long-term growth and short-term volatility: The labour market nexus, *Manchester School*, **79**, 646-672.
- [7] **Annicchiarico, B., Pelloni, A. and Rossi, L.** (2011b) Endogenous growth, monetary shocks and nominal rigidities, *Economics Letters*, **113**, 103-107.
- [8] **Badinger, H.** (2010) Output volatility and economic growth, *Economics Letters*, **106**, 15-18.
- [9] **Barlevy, G.** (2004) The cost of business cycles under endogenous growth, *American Economic Review*, **94**, 964-990.
- [10] **Barlevy, G.** (2007) On the cyclicity of research and development, *American Economic Review*, **97**, 1131-1164.
- [11] **Black, F.** (1987) *Business cycles and equilibrium*, Basil Blackwell, New York.
- [12] **Blackburn, K.** (1999) Can stabilisation policy reduce long-run growth?, *Economic Journal*, **109**, 67-77.
- [13] **Blackburn, K. and Galindev, R.** (2003) Growth, volatility and learning, *Economics Letters*, **79**, 417-421.
- [14] **Blackburn, K. and Pelloni, A.** (2004) On the relationship between growth and volatility, *Economics Letters*, **83**, 123-127.
- [15] **Blackburn, K. and Pelloni, A.** (2005) Growth, cycles, and stabilisation policy, *Oxford Economic Papers*, **57**, 262-282.
- [16] **Blackburn, K. and Varvarigos, D.** (2008) Human capital accumulation and output growth in a stochastic environment, *Economic Theory*, **36**, 435-452.

- [17] **Bredin, D. and Fountas, S.** (2009) Macroeconomic uncertainty and performance in the European Union, *Journal of International Money and Finance*, **28**, 972-986.
- [18] **Canton, E.** (2002) Business cycles in a two-sector model of endogenous growth, *Economic Theory*, **19**, 477-492.
- [19] **Chatterjee, P. and Shukayev, M.** (2006) Are average growth rate and volatility related? Bank of Canada Working Paper no. 2006-24, Ottawa.
- [20] **Comin, D. and Gertler, M.** (2006) Medium-term business cycles, *American Economic Review*, **96**, 523-551.
- [21] **de Hek, P.** (1999) On Endogenous growth under uncertainty, *International Economic Review*, **40**, 727-744.
- [22] **Dhyne, E., Alvarez, L.J., Le Bihan, H., Veronese, G., Dias, D., Hoffmann, J., Jonker, N., Lunnemann, P., Rumler, F. and Vilmunen, J.** (2006) Price changes in the Euro Area and the United States: Some facts from individual consumer price data, *Journal of Economic Perspectives*, **20**, 171-192.
- [23] **Dickens, W.T., Goette, L. Groshen, E.L., Holden, S., Messina, J., Schweitzer, M.E., Turunen, J. and Ward, M.E.** (2007) How wages change: Micro evidence from the international wage flexibility project, *Journal of Economic Perspectives*, **21**, 195-214.
- [24] **Dotsey, M. and Sarte, P.D.** (2000) Inflation uncertainty and growth in a cash-in-advance economy, *Journal of Monetary Economics*, **45**, 631-655.
- [25] **Elder, J.** (2004) Another perspective on the effects of inflation uncertainty, *Journal of Money, Credit and Banking*, **36**, 911-928.
- [26] **Evans, L. and Kenc, T.** (2003) Welfare cost of monetary and fiscal policy shocks, *Macroeconomic Dynamics*, **7**, 212-238.
- [27] **Fatàs, A.** (2000) Do business cycles cast long shadows? Short-run persistence and economic growth, *Journal of Economic Growth*, **5**, 147-162.
- [28] **Fountas, S., Karanasos, M. and Kim, J.** (2006) Inflation uncertainty, output growth uncertainty and macroeconomic performance, *Oxford Bulletin of Economics and Statistics*, **68**, 319-343.
- [29] **Francois, P. and Lloyd-Ellis, H.** (2003) Animal spirits through creative destruction, *American Economic Review*, **93**, 530-550.
- [30] **Galí, J., Gertler, M. and López-Salido, J.D.** (2007) Markups, gaps, and the welfare costs of business fluctuations, *The Review of Economics and Statistics*, **89**, 44-59.

- [31] **Grier, K.B., Henry, O.T., Olekalns, N. and Shields, K.** (2004) The asymmetric effects of uncertainty on inflation and output growth, *Journal of Applied Econometrics*, **19**, 551-565.
- [32] **Grier, K.B. and Perry, M.J.** (2000) The effects of real and nominal uncertainty on inflation and output growth: some Garch-M evidence, *Journal of Applied Econometrics*, **15**, 45-58.
- [33] **Hnatkovska, V. and Loayza, N.** (2005) Volatility and growth, in J. Aizenman and B. Pinto B. (ed.), *Managing economic volatility and crises: A practitioner's guide*, Cambridge University Press, Cambridge.
- [34] **Jones, C.I.** (2005) Growth and ideas, in P. Aghion and S. Durlauf (ed.), *Handbook of Economic Growth*, vol. 1, Part B, Elsevier, Amsterdam.
- [35] **Jones, L.E., Manuelli, R.E., Siu, H. and Stacchetti, E.** (2005) Fluctuations in convex models of endogenous growth, I: Growth effects, *Review of Economic Dynamics*, **8**, 780-804.
- [36] **Judson, R. and Orphanides, A.** (1999) Inflation, volatility and growth, *International Finance*, **2**, 117-138.
- [37] **Martin, P. and Rogers, C.A.** (1997) Stabilization policy, learning-by-doing, and economic growth, *Oxford Economic Papers*, **49**, 152-166.
- [38] **Martin, P. and Rogers, C.A.** (2000) Long-term growth and short-term economic instability, *European Economic Review*, **44**, 359-381.
- [39] **Pelloni, A.** (1997) Nominal shocks, endogenous growth and the business cycle, *Economic Journal*, **107**, 467-474.
- [40] **Ramey, G. and Ramey, V.A.** (1995) Cross-country evidence on the link between volatility and growth, *American Economic Review*, **85**, 1138-1152.
- [41] **Romer, P.M.** (1986) Increasing returns and long-run growth, *Journal of Political Economy*, **94**, 1002-1037.
- [42] **Strulik, H., Prettnner, K. and Prskawetz, A.** (2011) R&D-based growth in the post-modern era, Discussion Paper no. 457, Leibniz Universität, Hannover.
- [43] **Turnovsky, S. J. and Chattopadhyay, P.** (2003) Volatility and growth in developing economies: Some numerical results and empirical evidence, *Journal of International Economics*, **59**, 267-295.
- [44] **Varvarigos, D.** (2008) Inflation, variability, and the evolution of human capital in a model with transactions costs, *Economics Letters*, **98**, 320-326.
- [45] **Walde, K. and Woitek, U.** (2004) R&D expenditure in G7 countries and the implications for endogenous fluctuations and growth, *Economics Letters*, **82**, 91-97.